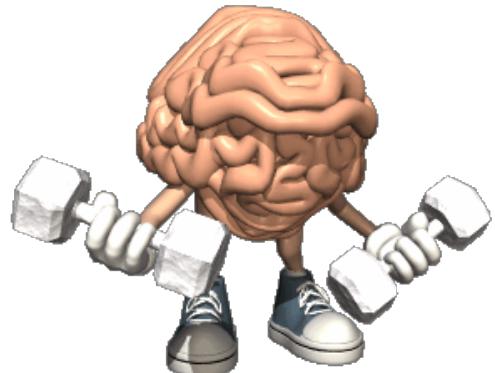


Warm Up



Expand and Simplify

$$(x-5)^2 - (3x+5)^2$$

$$(x-5)(x-5) - (3x+5)(3x+5)$$

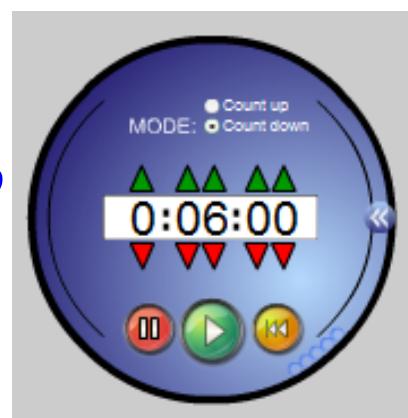
$$x^2 - 5x - 5x + 25 - (9x^2 + 15x + 15x + 25)$$

$$x^2 - 10x + 25 - (9x^2 + 30x + 25)$$

↑ Add Opposites

$$\cancel{x^2} \underline{-10x + 25} \quad \cancel{-9x^2} \underline{-30x - 25}$$

$$-8x^2 - 40x$$



D GCF (Box)

Quiz Time

2) Tree

Primes $\Rightarrow 2, 3, 5, 7, 11, 13$

3) Pull out a common factor

4) Collect like terms first then pull out
common factor

5) Multiply then collect like terms

6) Rainbow (Multiply)

$$4c) \quad \frac{9}{10} \div \frac{7}{3}$$

Lcm (10 | 3)

$$\begin{aligned} \text{Lcm} &= 3 \times 10 \\ &= 30 \end{aligned}$$

$$\frac{27}{30} \div \frac{70}{30}$$

$$\frac{27}{70}$$

Look at the numbers in the trinomial and the binomial.

?

$$\nu^2 + 12\nu + 20 = (\nu + 2)(\nu + 10)$$

?



?

3.5 Polynomials of the Form $x^2 + bx + c$



Factoring and Multiplying Polynomials are inverse operations



$$\cancel{x^2 - 3x - 4}$$

$$\cancel{y^4 + 11y^2 + 30}$$

TRINOMIALS

$$\cancel{m^2 - 8m + 16}$$

$$\cancel{z^2 + 5zy + 6y^2}$$

Simple Trinomials

- has three terms with the form...

$$ax^2 + bx + c$$

$$1x^2 + bx + c$$

- a simple trinomial has an "a" value of 1.

- we use a method of inspection to factor them.

CHECK IT OUT!!!

INSPECTION METHOD

- here's how it goes... "What two numbers?"

Adds to get "b"

$$ax^2 + bx + c$$



Multiplies to get "c"

EXAMPLES...

1) $x^2 + 13x - 48$

Sign on larger factor is positive
Sign on smaller factor is negative
Signs are different

$$\begin{array}{r} \text{last} \\ \text{multiply} \\ -48 \\ -1, +48 \\ -2, +24 \\ -3, +16 \\ -4, +12 \\ -6, +8 \end{array}$$

add
 $+13$

SOLUTIONS

$$(x-3)(x+16)$$

2) $x^2 - 10x - 24$

Sign on larger factor is negative
Sign on smaller factor is positive
Signs are diff

$$\begin{array}{r} x \\ -24 \\ +1, -24 \\ +2, -12 \\ +3, -8 \\ +4, -6 \end{array}$$

$$\frac{x}{-24} \quad \frac{+}{-10}$$

$$(x+2)(x-12)$$

3) $2x^2 - 20x + 42$

Sign on larger factor is positive
Sign on smaller factor is negative
Signs are the same

$$2(x^2 - 10x + 21) \quad \begin{array}{r} x \\ +21 \\ -1, 21 \\ -3, -7 \end{array} \quad \frac{+}{-10}$$

$$2(x-3)(x-7)$$

4)

$x^2 - 6x + 9$
Sign on larger factor is positive
Sign on smaller factor is positive
Signs are the same
Both (+)
or
both (-)

$$\begin{array}{r} x \\ +9 \\ -1, 9 \\ -3, -3 \end{array}$$

$$\frac{+}{-6}$$

$$(x-3)(x-3)$$

$$(-1) + (-2) = -3$$

or

$$(-10) + (+2) = -8$$

Work

$$1. \ x^2 + 1x - 6$$

↑
sign on
larger is +

Find two numbers that

multiply
to give -6.

add:
to give +1

$$\begin{array}{r} -1, +6 \\ -2, +3 \end{array}$$

$$(x-2)(x+3)$$



Don't need yet but this is decomposition

How does this compare to the factoring of four term polynomials?????

multiply
to give -6

Find two numbers that

- 2, +3

add:
to give +1

$$x^2 + 1x - 6$$

break down middle term using those factors

$$x^2 \underbrace{-2x}_{\text{ }} + \underbrace{3x}_{\text{ }} - 6$$

Pull out the GCF out of first two terms & Then Pull out the GCF out of last two terms

$$x(x - 2) + 3(x - 2)$$

Pull out the GCF(which is a common Bracket)

$$(x - 2)(x + 3)$$

notice these are the factors

So for simple
Trinomials you
can use the rule